Method \#1 - Factoring and Using the Roots
Method \#2 - Partial Factoring
Method \#3 - Completing the Square
Method \#4 - The Formula

## Worked With

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Worked With $\qquad$

1. Given the revenue function $R(x)=-3 x^{2}+74 x$, and the cost function $C(x)=12 x-559$, where $x$ is the number of items sold in thousands, determine;

## Method Used

 \#a. The profit function $P(x)$

ANSWER $\qquad$
b. The value of $x$ that maximizes profit

ANSWER $\qquad$
c. The maximum profit.

ANSWER $\qquad$
2. The profit function for a certain product is given by $P(x)=-5(x-7)(x-13)$, where $x$ is the number of items sold in thousands. What quantity of items sold will produce the maximum profit?

ANSWER $\qquad$
3. The cost per day of producing widgets at Company XYZ is modeled by the function $C(x)=0.04 x^{2}-8.504 x+25302$, where $C(x)$ is the cost per day in dollars and $x$ is the number of widgets produced in thousands. Find the daily production level that will minimize your costs.

Method Used
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Method Used \# Method Used
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## Method <br> Used

ANSWER
ANSWER
5. A CD company has been selling 1200 computer games CDs per week at $\$ 18$ each. Data indicates that for each $\$ 1$ increase, there will be a loss of 40 sales per week. If it costs $\$ 10$ to produce each CD , what should the selling price be in order to maximize the profit?

ANSWER $\qquad$


